

# Biochemistry

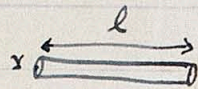
(Biometry 7 除, 2011 三年 7: 考入)

morphology of blood vessels.

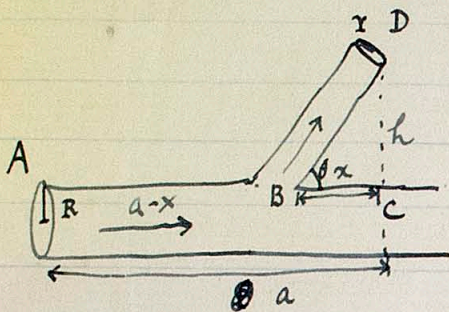
Burns' Biophysics

1. 重力脈, 1 枝 1 + 2 枝. (~~John Hunter~~)

AD 向, 血壓, 差 7 min. + 3 + 4.



血壓, 差 =  $k \cdot \frac{l}{r}$  (Hess's law)



AD 向, 血壓,  $\bar{\Delta P} = k \left( \frac{AB}{R} + \frac{BD}{r} \right)$

$= k \left( \frac{a-x}{R} + \frac{\sqrt{h^2+x^2}}{r} \right)$

$-\frac{1}{R} + \frac{2x}{2r\sqrt{x^2+h^2}} = 0$

$\therefore \frac{r}{R} = \frac{x}{\sqrt{x^2+h^2}} = \cos \theta$

then

(1) R が 5 以外 7, r が 1 7 7 7.  $\theta$  一定.

(2)  $\frac{r}{R}$  が 甚 知 小, 7 7 7.  $\cos \theta$  が 小, then  $\theta \rightarrow 90^\circ$

(3)  $\frac{r}{R} \rightarrow 1$  7 7 7.  $\cos \theta \rightarrow 1$   $\therefore \theta \rightarrow 0$

## 2. Dissociation of Oxyhaemoglobin.

Hb / saturation percentage =  $y = 100 \frac{C_{(HbO_2)}}{C_{(Hb)} + C_{(HbO_2)}}$

Oxygen / concentration =  $C_{(O_2)} = x$ .

x 7 y 7 1 關係 7 考 4.



平衡 / 均 7 7 7.

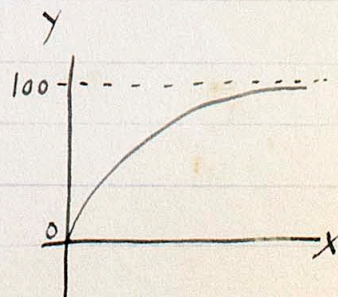
$\frac{C_{(HbO_2)}}{C_{(Hb)} \cdot C_{(O_2)}} = K$

$\therefore \frac{C_{(HbO_2)}}{C_{(Hb)}} = Kx$

$y = 100 \cdot \frac{C_{(HbO_2)}}{1 + \frac{C_{(HbO_2)}}{C_{(Hb)}}}$

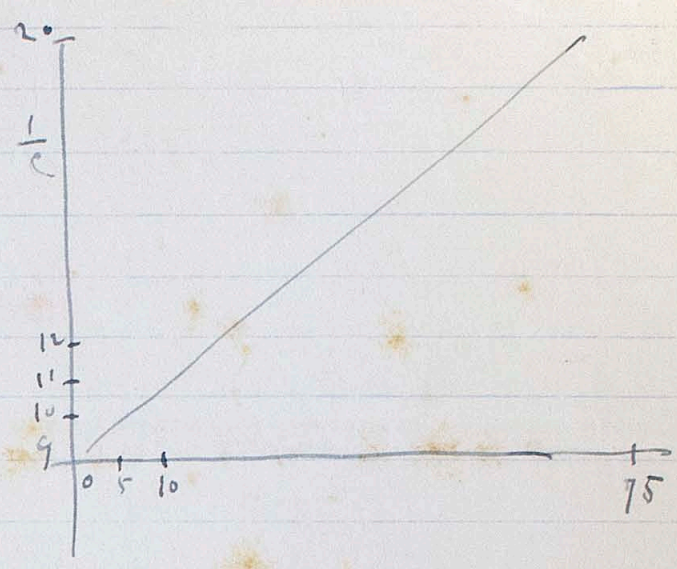
$\therefore y = 100 \frac{Kx}{1+Kx}$

Hyperbole

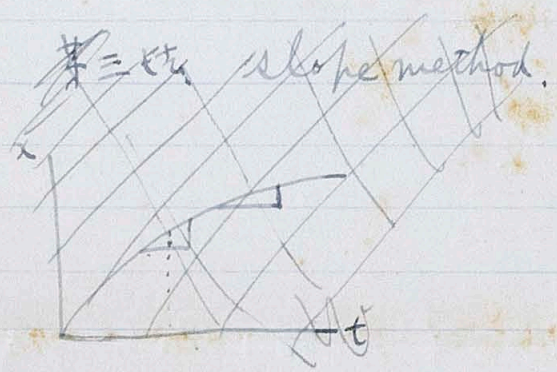




t (hour)	C (N)	1/c
0	0.11	9
(0.05)	0.108	9.2
2.5	0.102	9.8
6	0.1	10.0
11	0.096	10.4
24	0.076	13.0
33	0.07	14.3
48	0.06	16.6
(72)	0.049	20.0



bi-molecular



#### 4. Number of micro-organisms.

食物の量 =  $a - x$ ,  
 $a$  = 食物の全量,  
 $a - x$  = 時刻  $t$  における食物の量,  
 $y_0$  = 時刻  $t = 0$  における bacteria の数,  
 $y$  = 時刻  $t$  における bacteria の数.

( $x$  と  $y$  に関する微分方程式を解く)  $y = e^x$   
 $x = y$ ,  $y = x$   
 ~~$x = my$~~

Number of bacteria constant of food

$$\frac{dy}{dt} = k y (a - x)$$

$$\frac{dy}{dt} = k y (a - y)$$

$$kt + C = \int \frac{dy}{y(a-y)} = \int \frac{1}{a} \left[ \frac{1}{y} + \frac{1}{a-y} \right] dy = \frac{1}{a} [\log y - \log(a-y)]$$

~~$\log$~~  
$$\log \frac{y}{a-y} = akt + aC$$

$t = 0$  かつ  $y = y_0$ ,  $\log \frac{y_0}{a-y_0} = aC$

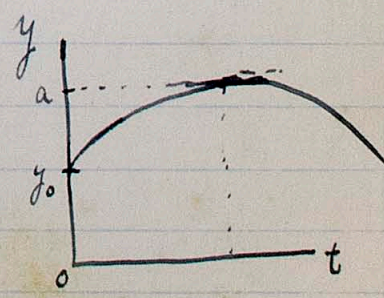
$$\log \frac{y}{a-y} = akt + \log \frac{y_0}{a-y_0}$$

$$\log \frac{(a-y_0)y}{y_0(a-y)} = akt$$

$$\frac{(a-y_0)y}{y_0(a-y)} = e^{akt}$$

~~$y = \frac{y_0 a e^{akt}}{1 + \frac{a-y_0}{y_0} e^{akt}}$~~

$$y = \frac{a}{1 + \frac{a-y_0}{y_0} e^{-akt}}$$

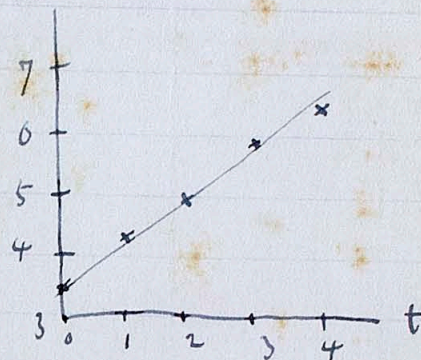


M' Kendrick and Kesava Pai (1911)  
 Bacillus coli 大肠杆菌.

t (hour)	0	1	2	3	4	
y	2 850	17 500	105 000	625 000	2250 000	100 000 000 't 菌数止4=

$$\begin{cases} y_0 = 2850 \\ a = 100\,000\,000 \end{cases}$$

t	0	1	2	3	4
$\log_{10} \frac{y}{a-y} = \log_{10} \frac{y}{a-y}$	3.46	4.24	5.02	5.90	6.35



$$\log_{10} \frac{y}{a-y} = ak \log_{10} e \cdot t + \log_{10} \frac{y_0}{a-y_0}$$

$$ak \log_{10} e = 0.8$$

bacteria 1 part = (1/3) t + ~ b t (hour)

$$\log_{10} \frac{2y}{a-2y} = ak \log_{10} e \cdot t' + \log_{10} \frac{y_0}{a-y_0}$$

$$\therefore \log_{10} 2 = ak \log_{10} e \cdot (t' - t)$$

$$\log_{10} 2 + \log_{10} \frac{y}{a-2y} = 2k \log_{10} e t' + \dots$$

$$t' - t = \frac{\log_{10} 2}{ak \log_{10} e} = \frac{0.301}{0.8} \text{ hour} = 22.5 \text{ min (approx)}$$

### 5. Physiology of growth. (Robertson, Child physiology.)

$$\log_{10} \frac{x}{341.5-x} = K(t - 1.66)$$

9 10 10 2 = 10 (適用)

t, 生レカサリ月表. (-, +)  
 x, 量 (オニ)  
 4 10 10 2 = 10 ounce

t	x	K
-0.75	111	0.132
-0.42	117	0.136
-0.08	127	0.131
0	127	0.136
+0.25	137	0.123
+0.58	145	0.122
+0.92	146	0.171

mean 0.136

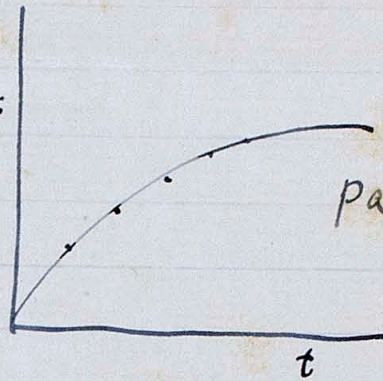
Lemon, 成長

t, tR, K<sub>1</sub>, K<sub>2</sub>, K<sub>3</sub>.

实验,

1. Pepsin digestion (Sjöquist / 272).

t (hour)	x Percent.
0	0
2	10.5
4	16.41
6	19.93
8	22.68
9	24.00
12	27.04
16	30.36
20	33.68



$$x = \frac{1}{k} \sqrt{t}$$

$$(x = 8 \sqrt{t})$$

2. Decomposition of tetanolyein by means of peptone (Madsen and Walbum).

t (hour)	C tetanolyein	order of reaction = 2.
0.5	47.7	
1	39.7	
2	30.3	
4	22.3	
6	18.1	
8	17.0	

6. Law of digestion.

$$x = \text{quantity of } t \text{ } x = \frac{1}{k} \sqrt{t}$$

$$x = c \sqrt{t} \quad \text{Schütz-Borissoff law}$$

$$x^2 = c^2 t$$

$$2x \frac{dx}{dt} = c^2$$

$$\frac{dx}{dt} = \frac{c^2}{2} \cdot \frac{1}{x}$$

the velocity =  $\frac{dx}{dt}$  =  $\frac{c^2}{2x}$

Theory of Arrhenius

$$\frac{dx}{dt} = K \cdot \frac{1}{x} (a-x)$$

$$\int \frac{x dx}{a-x} = k t + C$$

$$\frac{x}{a-x} = \frac{a}{a-x} - 1$$

$$-a \log(a-x) - x = Kt + C$$

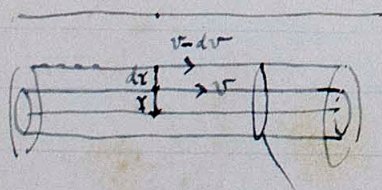
$$t=0 \text{ if } x=0 \quad -a \log a = C$$

$$-a \log(a-x) - x = Kt - a \log a$$

$$a \log \frac{a}{a-x} - x = Kt$$

t (hour)	Protein digested by means of pepsin P (percent)	$K = \frac{1}{t} [a \log \frac{a}{a-x} - x]$ (a=1)	$c = \frac{x}{\sqrt{t}}$
2	10.5	3.0	7.5
4	16.4	3.8	8.2
6	19.9	3.8	8.1
8	22.7	3.8	8.0
12	27.0	3.7	7.7
16	30.4	3.6	7.6
20	33.7	3.7	7.5
32	40.0	3.4	7.1
48	45.1	3.2	6.5
64	50.8	3.1	6.3
96	57.4	2.8	5.9

### I. Flow of a viscous liquid through a tube.



管の  
断面  
の面積 (単位面積 =  $\pi r^2$ )

$\eta =$  coefficient of viscosity.

$$-2\pi r l \cdot \eta \frac{dv}{dr} = \pi r^2 p \quad p = \text{pressure difference}$$

$$-2l\eta \frac{dv}{dr} = rp$$

$$-2l\eta v = p \frac{1}{2} r^2 + C$$

$$r=R \text{ if } v=0$$

$$\therefore 0 = \frac{p}{2} R^2 + C$$

$$-2l\eta v = \frac{p}{2} (r^2 - R^2)$$

$$\therefore v = \frac{p(R^2 - r^2)}{4l\eta}$$



$$2\pi r dr$$

單位時間: 通過體積

$$dV = v \cdot 2\pi r dr$$

$$= \frac{p(R^2 - r^2)}{2 \cdot 4l\eta} 2\pi r dr$$

$$V = \int_0^R$$

$$dv = \frac{b\pi}{2\ell\eta} \int_0^R r(R^2 - r^2) dr$$

$$= \frac{b\pi}{2\ell\eta} \left( \frac{R^4}{2} - \frac{R^4}{4} \right) = \frac{b\pi R^4}{8\ell\eta}$$

~~$$\frac{2}{\ell} = \frac{\pi b R^4}{8\ell\eta}$$~~

Poissonville

$$b = \frac{8\eta\ell h}{\pi R^4} \quad \text{dyne/cm}^2$$

Brodie

Rk 管

$$\ell = 1.2 \text{ cm}$$

$$\frac{R}{1000} = 6$$

$\frac{1}{1000}$  mm

0.9

5

0.9

4.5

0.2

9

2.2

8

$$\eta = 719 \times 10^{-5} \quad (35^\circ \text{C})$$

$$V = 1 \text{ c.c. per } \frac{1}{\text{minute}} \quad (\text{c.c. per } \frac{1}{\text{minute}})$$